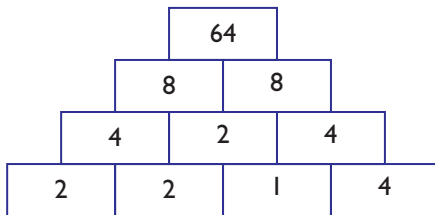


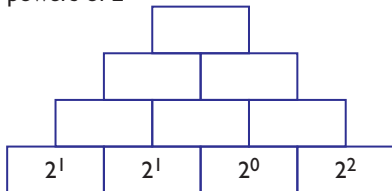
Strand 7 • Unit 7 • Fractional indices • Band i

- 5 Here is a product pyramid. To work out the number in a box you multiply the numbers in the two boxes below it.

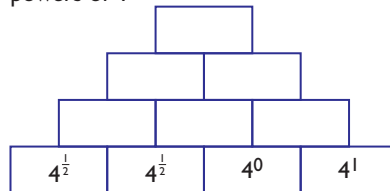


All of the pyramids below are equivalent to the one above.

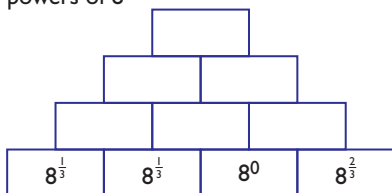
powers of 2



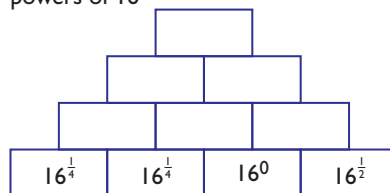
powers of 4



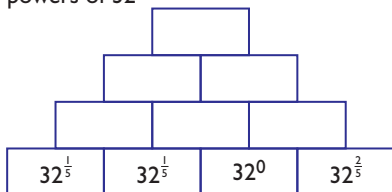
powers of 8



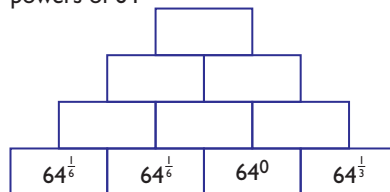
powers of 16



powers of 32

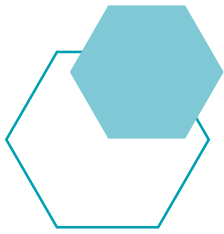


powers of 64



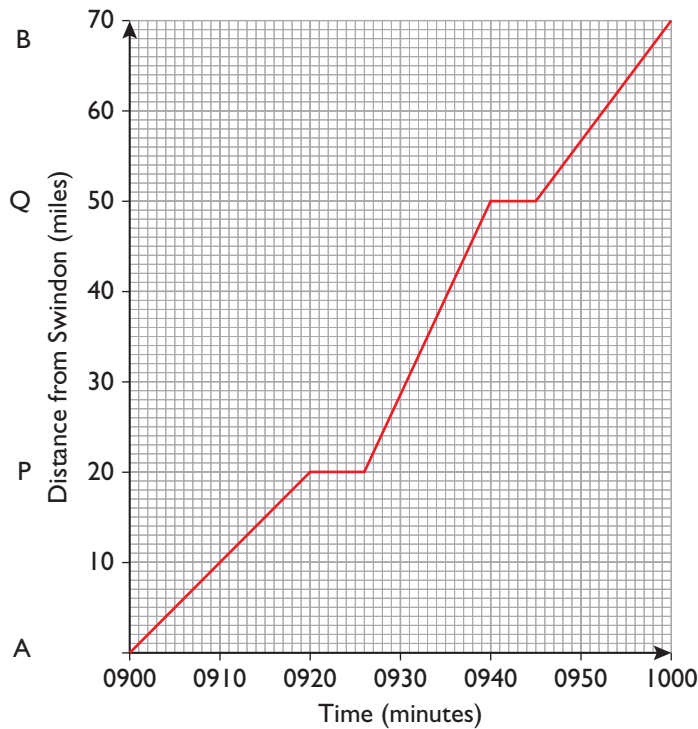
Complete them, giving each one as a power of the same number.

Check that all of the top numbers are equivalent to 64.

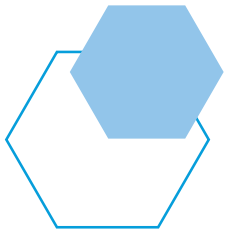


Strand 3 • Units 1–7 • Moving On

- 1 Here is a distance time graph showing the journey Tom took by train between two railway stations A and B. The train stopped twice on the journey, once at P and once at Q.



- a For how long did the train stop on the journey?
- b Work out the average speed in miles per hour for the whole journey.
- c Between which two points was the train travelling the fastest and what was this speed?
A second train left station B 10 minutes after the first train left station A.
The train travelled at an average speed of 100 mph and did not stop between B and A.
- d Copy the graph above and draw the graph for the second train on your graph.
- e At what time did the two trains pass each other and how far were they from B?
- f How long did the second train take to complete the journey?

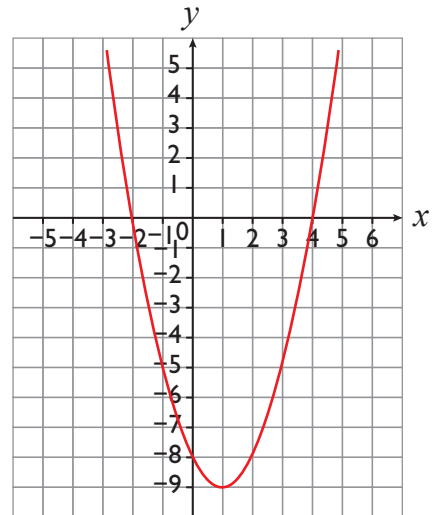


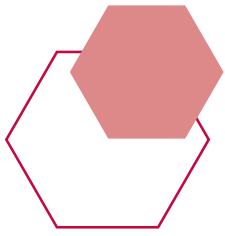
Strand 5 • Unit 7 • Solving quadratic inequalities • Band j

- 4 Here is the graph of $y = (x + 2)(x - 4)$.
The graph can help you tell whether $(x + 2)(x - 4)$ is greater than zero, equal to zero, or less than zero for different values of x .

On a copy of the graph, mark the x -axis:

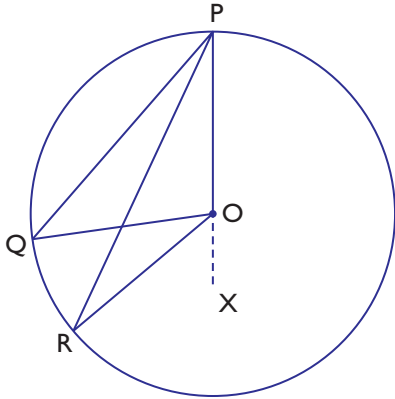
- a blue for values of x where $(x + 2)(x - 4)$ is positive
- b red for values of x where $(x + 2)(x - 4)$ is negative
- c black for values of x where $(x + 2)(x - 4)$ is zero.



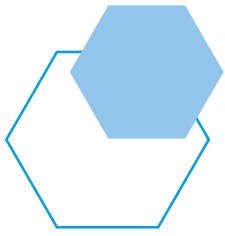


Strand 2 • Unit 11 • Circle theorems • Band j

- 8 Complete this proof to show that angle $QOR = 2 \times$ angle QPR .

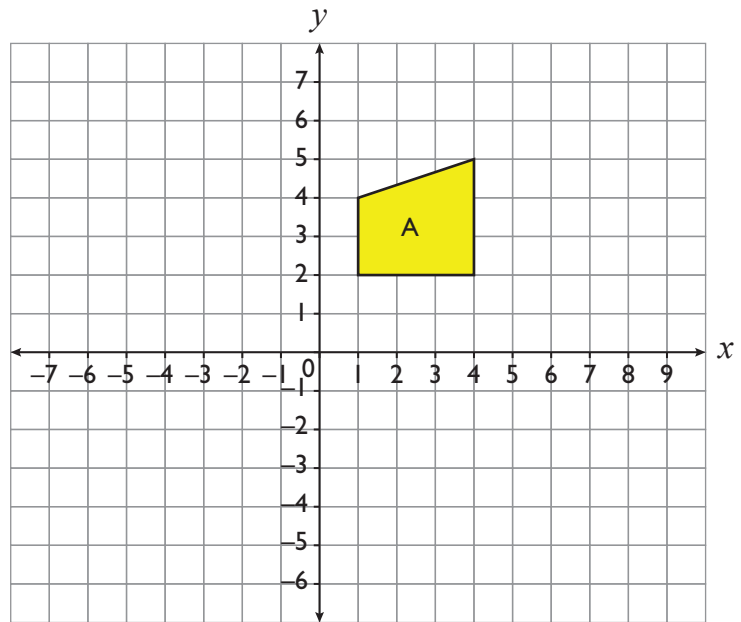


- A** Show that angle $OPQ =$ angle OQP .
Label these two angles a on a copy of the diagram.
Find the size of angle POQ and mark it on your diagram.
- B** Show that angle $ORP =$ angle OQR .
Label these two angles γ .
Find the size of angle POR and mark it on your diagram.
- C** Hence write down expressions for the sizes of angles QPR and QOR , giving your reasons.
- D** Hence show that angle $QOR = 2 \times$ angle QPR .

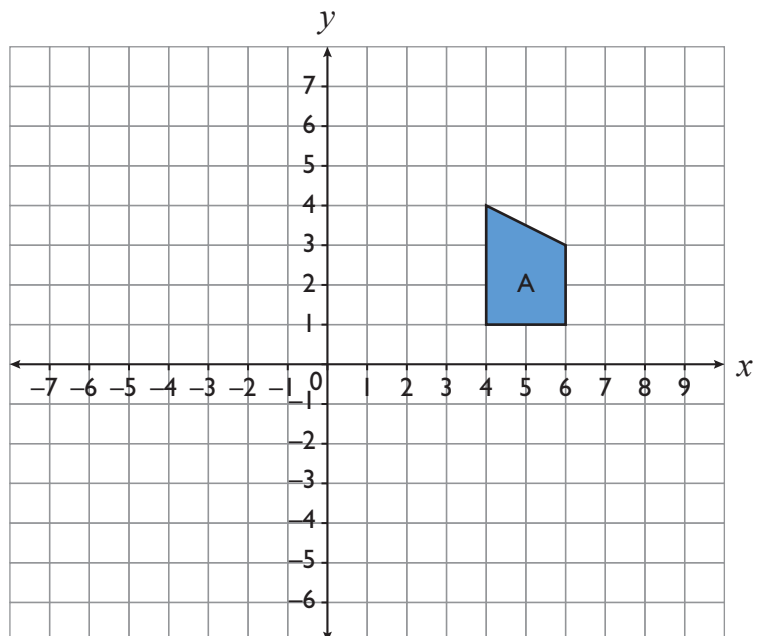


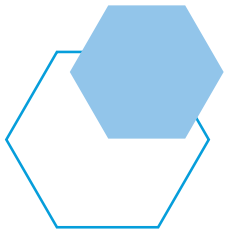
Strand 5 • Unit 11 • Combining transformations • Band i

- 1 a Reflect trapezium A in the y -axis. Label the image B.
- b Reflect trapezium B in the x -axis. Label the image C.
- c What single transformation maps A onto C?
- d Describe any invariant points resulting from this transformation.



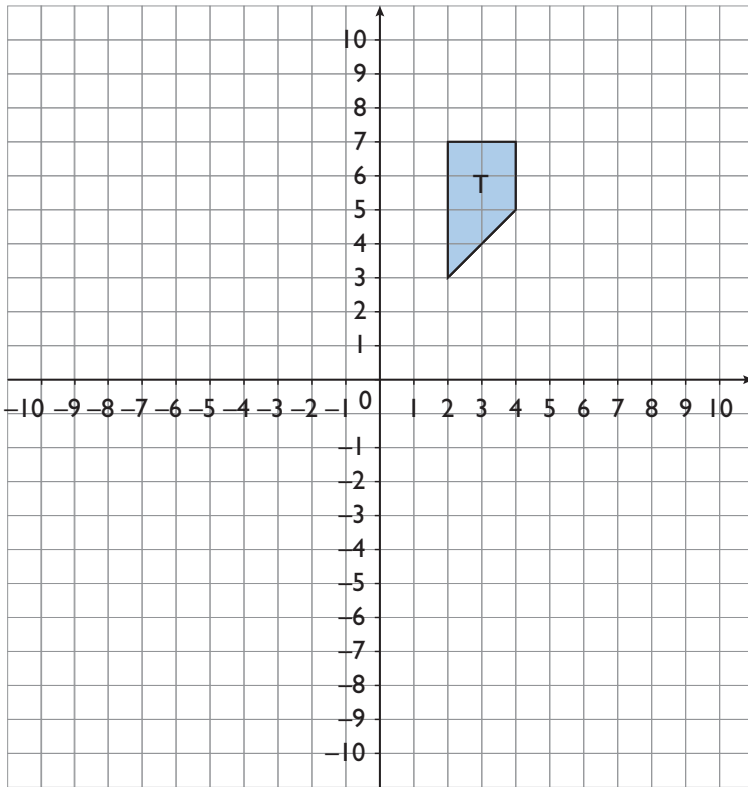
- 2 a Enlarge shape A with a scale factor of 2, centre (10, 3). Label the image B.
- b Translate B through $\begin{pmatrix} 5 \\ -4 \end{pmatrix}$. Label the image C.
- c Describe the single transformation that maps A onto C.
- d Describe any invariant points resulting from this transformation.





Strand 5 • Unit 11 • Combining transformations • Band i

- 1 The diagram shows a trapezium, T.



- a** Rotate shape T 90° clockwise about the point $(3, 0)$.
Label the image A.
- b** Translate shape A through the vector $\begin{pmatrix} -9 \\ -3 \end{pmatrix}$
Label the image B.
- c** Describe fully the single transformation that maps T onto B.

Exam-style